

> #Bending of beam

> with(plots):

> with(plottools):

> #the mapping. R is a length and nu Poisson's ratio

> x:=(X, Y, Z) ->X-(X\*Y)/R;

$$x := (X, Y, Z) \rightarrow X - \frac{XY}{R} \quad (1)$$

> y:=(X, Y, Z) ->Y+(X^2+nu\*(Y^2-Z^2))/(2\*R);

$$y := (X, Y, Z) \rightarrow Y + \frac{1}{2} \frac{X^2 + \nu(Y^2 - Z^2)}{R} \quad (2)$$

> z:=(X, Y, Z) ->Z+(nu\*Y\*Z)/R;

$$z := (X, Y, Z) \rightarrow Z + \frac{\nu YZ}{R} \quad (3)$$

> R:=3;

$$R := 3 \quad (4)$$

> nu:=0.45;

$$\nu := 0.45 \quad (5)$$

> unassign('Y');

> Y;

> unassign('Z');

$$Y \quad (6)$$

> Z;

$$Z \quad (7)$$

> a:=1;

$$a := 1 \quad (8)$$

>

> b:=.4;

$$b := 0.4 \quad (9)$$

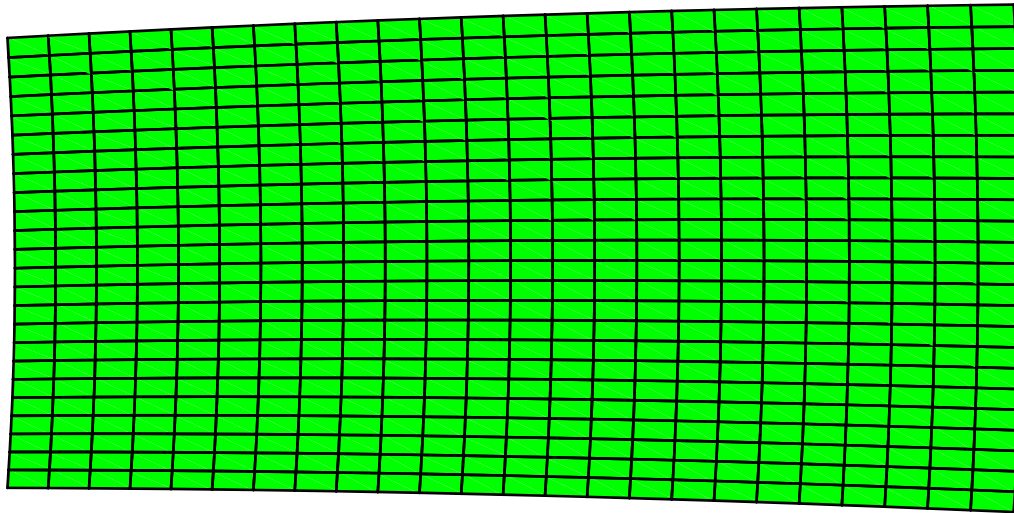
> c:=.4;

$$c := 0.4 \quad (10)$$

> X:=a;

$$X := 1 \quad (11)$$

> s1:=plot3d([x(X, Y, Z), y(X, Y, Z), z(X, Y, Z)], Y=-b..b, Z=-c..c, color=green): s1;



> X:=- a;

X := -1

(12)

> S2:=plot3d([x(X, Y, Z), y(X, Y, Z), z(X, Y, Z)], Y=- b. . b, Z=- c. . c, color = yellow) : S2;



```
> unassign('X');  
> X;
```

X

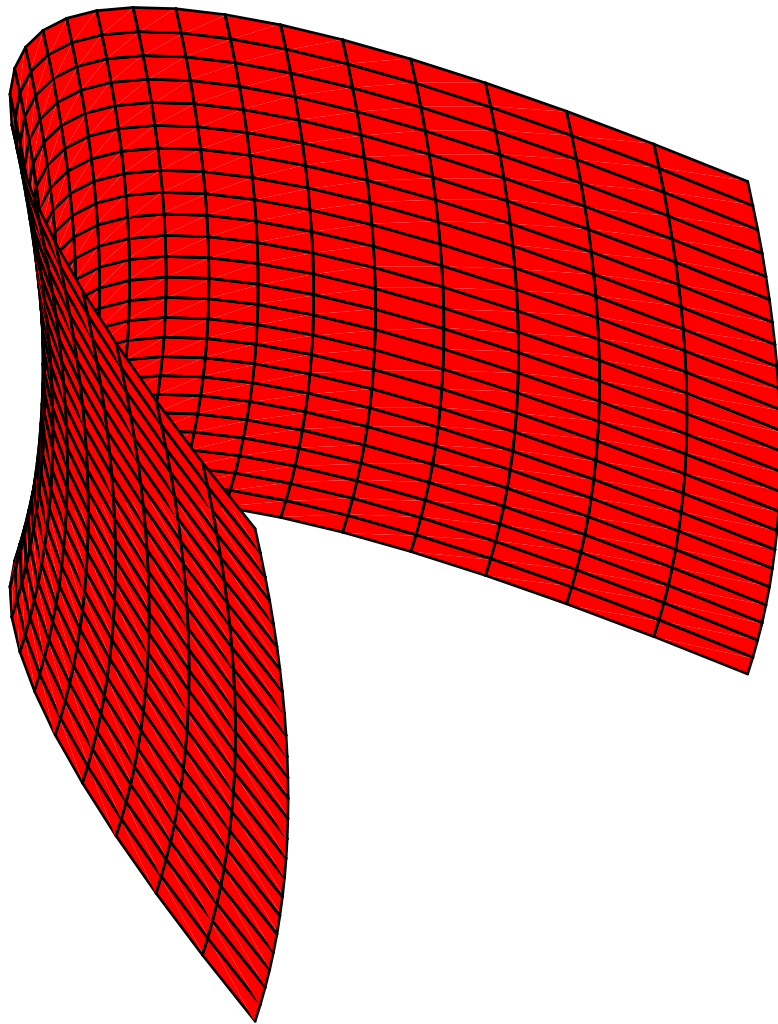
(13)

```
> Y := -b;
```

Y := -4

(14)

```
> S3 := plot3d([x(X, Y, Z), y(X, Y, Z), z(X, Y, Z)], X = -a..a, Z = -c..c, color = red): S3;
```

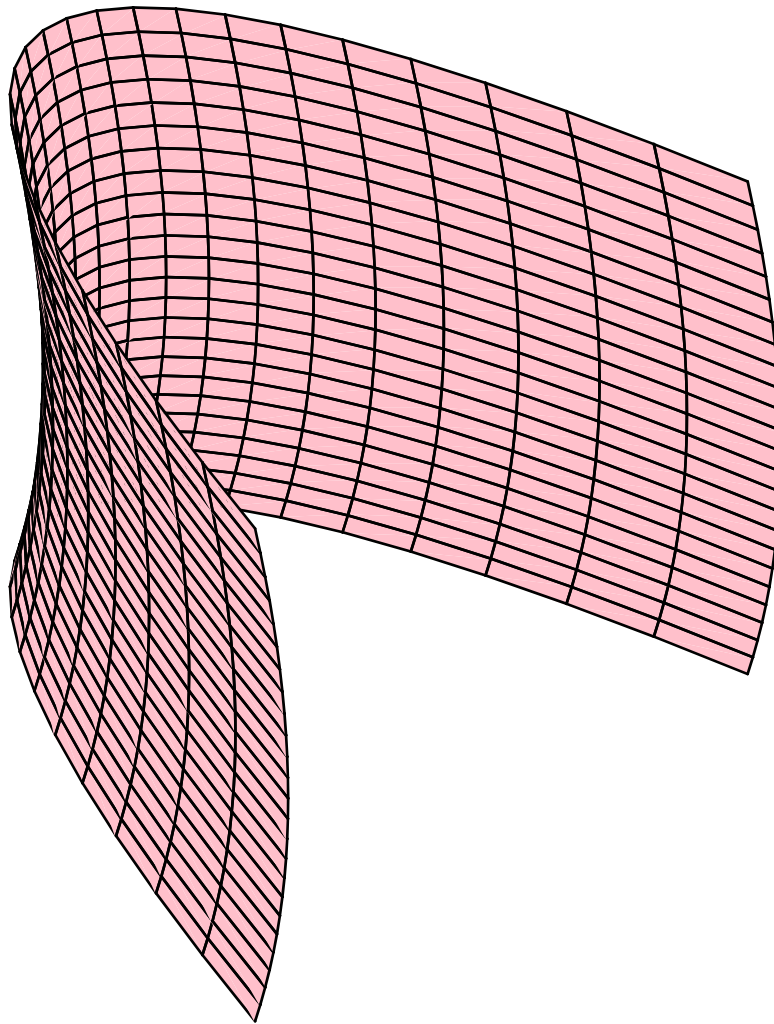


> Y:=b;

Y:=0.4

(15)

> S4:=plot3d([x(X, Y, Z), y(X, Y, Z), z(X, Y, Z)], X=-a..a, Z=-c..c, color=pink): S4;



```
> unassi gn( ' Y' ) :
> Y;
```

$Y$

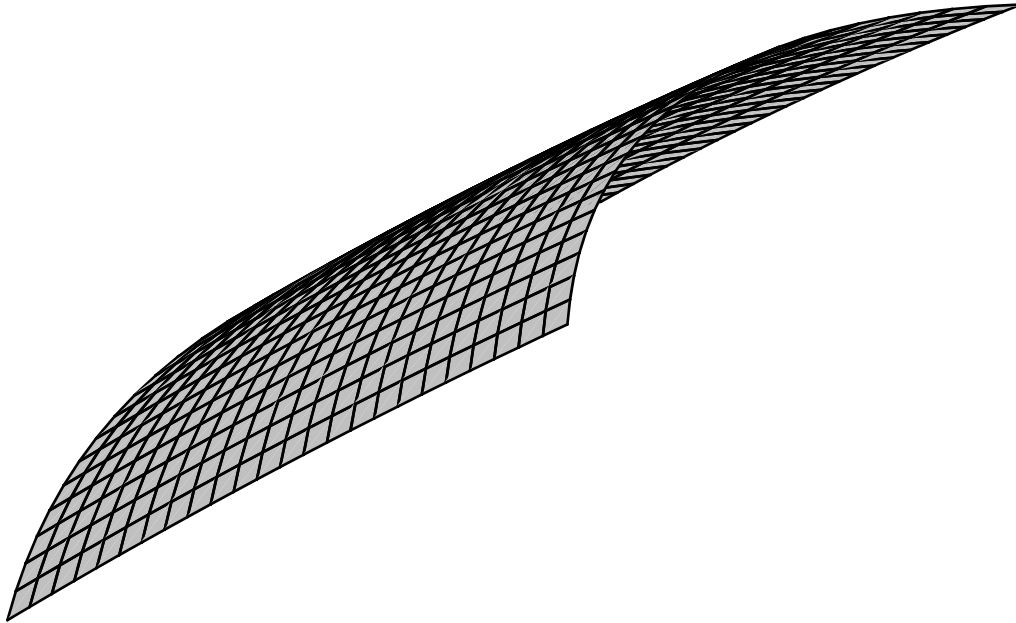
(16)

```
> Z:=c;
```

$Z:=0.4$

(17)

```
> S5:=pl ot 3d( [ x( X, Y, Z ) , y( X, Y, Z ) , z( X, Y, Z ) ] , X=- a. . a, Y=- b. . b, col or =
grey) : S5;
```



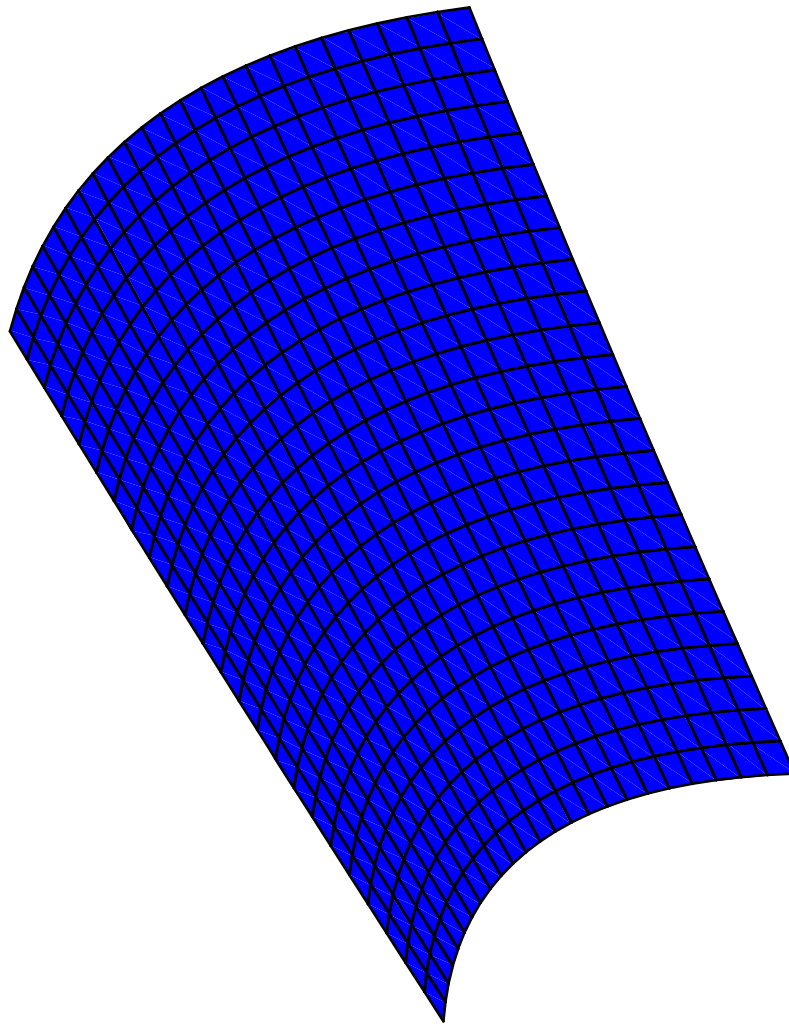
```
> Z:= -c;
```

```
>
```

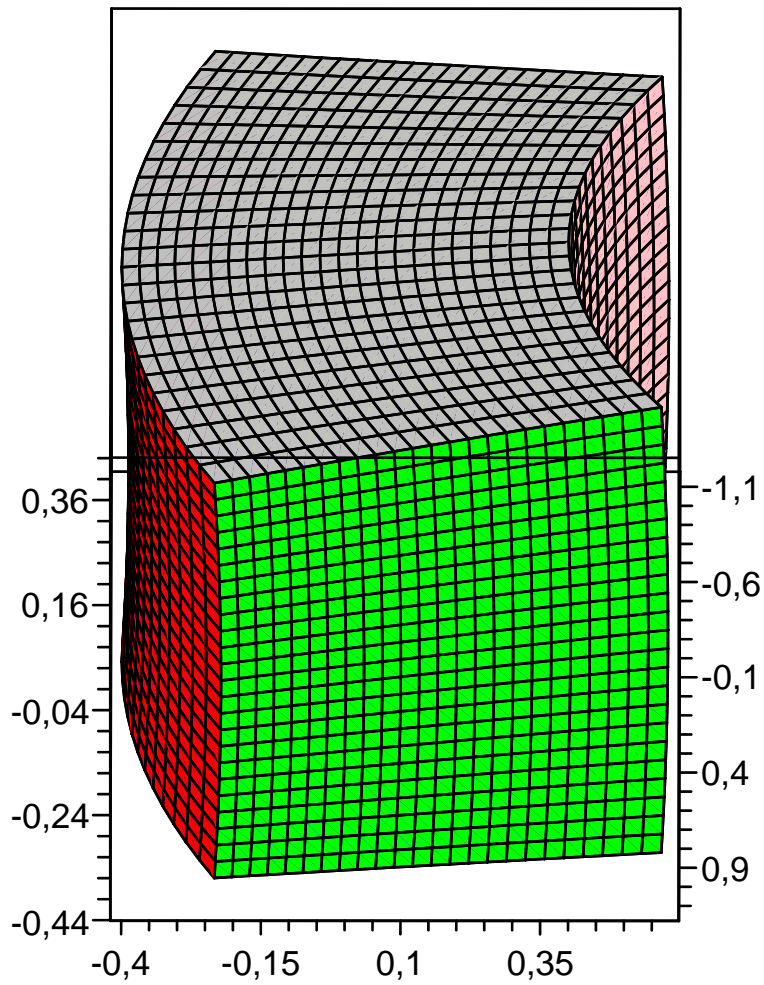
```
Z:= -4
```

(18)

```
> S6:=plot3d([x(X, Y, Z), y(X, Y, Z), z(X, Y, Z)], X=-a..a, Y=-b..b, color=blue): S6;
```



> `display( { S1, S2, S3, S4, S5, S6}, axes=box, orientation=[ 0, 70], scaling= constrained);`



> `display( S1, S2, S3, S4, S5, S6, axes=box, orientation=[ 07, 83] , scaling= constrained) ;`



